

# Relativistic Formulation of Cosmic Acceleration vs. Cosmic Deceleration in the Local Universe

## ESSENTIAL CONSIDERATIONS:

- Postulated Inwardly Unbounded Light Speed  
Within the Hubble Expansion
- Deeper Theory Derived: eg ,  $a_{\text{CosAcc}} = rH^2$  and  $\Lambda = 3H^2/c^2$   
(Latter Accords with the Friedmann Solution)

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Rev 1; 23 September 2018

**EINSTEIN'S SAME MOTION PRINCIPLE**  
***SAME MOTION ACCELERATION/SYNCHRONY***

- **BASIS FOR GRT AND THE PRESENT DEEPER THEORY**
- **UNBOUNDED LIGHT SPEED DERIVED FROM THE SAME MOTION PRINCIPLE**

# OVERVIEW

- **CONCEPTS**
- **THEORY**
- **COMPARISON WITH MEASUREMENTS**
  - **Wide Binary Star Rotation Flattening**
  - **Baryonic Tully-Fisher Relation**
  - **Sn-1a Magnitude Residuals vs Redshift  $z$**   
(Initial Results—  $z < \sim 0.3$ )
- **CONCLUSIONS**

## CONCEPTUAL ASPECTS

- **AFTER SAME-MOTION ACCELERATION**

- Depending on Resynchronization
- Measured Rod Lengths and Clock Rates can be Increased or Decreased.

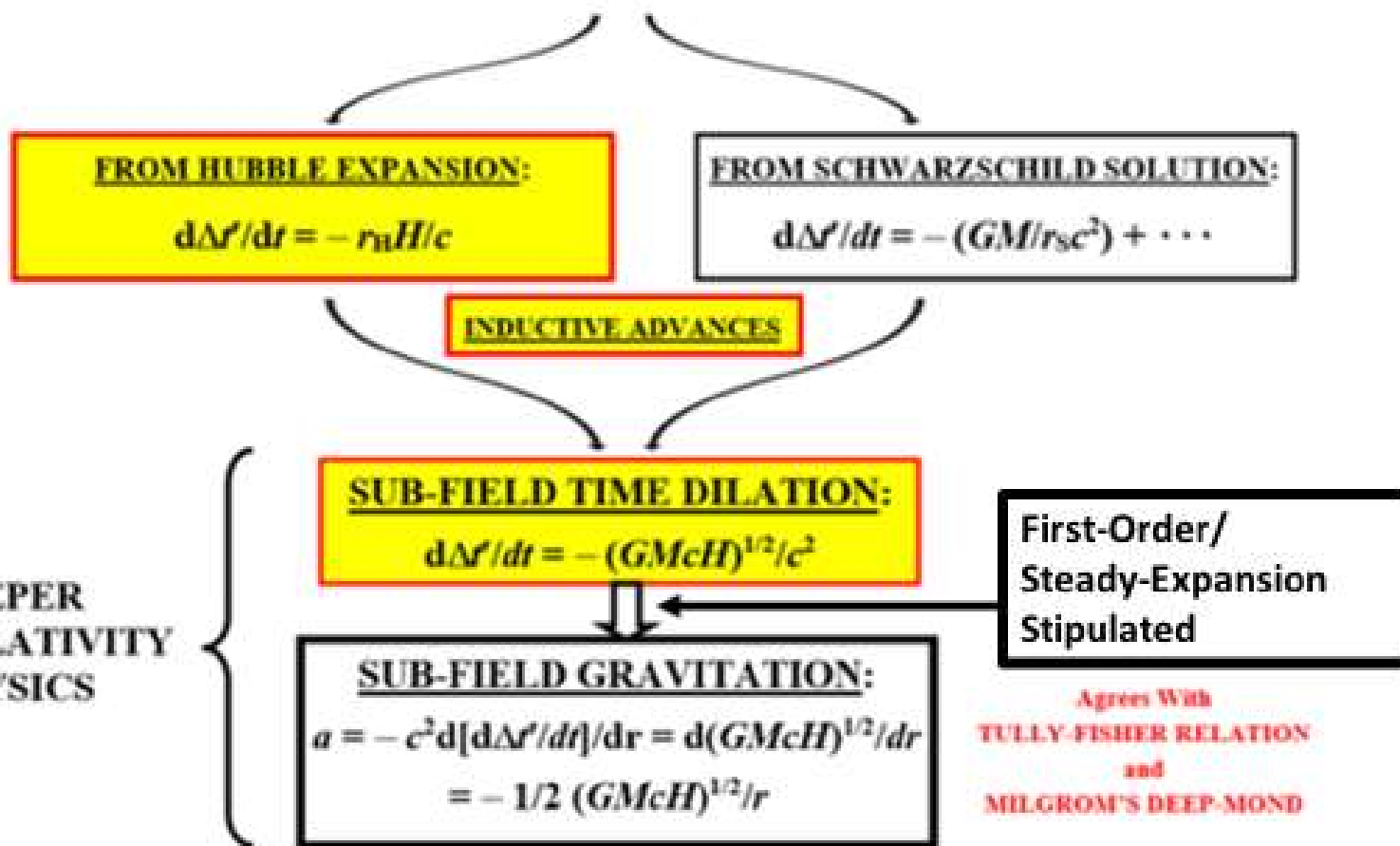
(BASIS: Einstein on *Same-Motion* (1907) and Chamberlain (2015))

- **IN ADDITION: (From the Present Work)**

- Distant Events (From the Past) ARE INSTANTLY SEEN (Inductive Postulate)
- Outgoing Photons Fly at Half-C.

# **THEORETICAL DEVELOPMENTS**

**GIVEN INFINITE LIGHT-SPEED (Inward)**



## REVISED SCHWARZSCHILD SOLUTION

- THE SUB-FIELD METRIC MAY BE WRITTEN:

$$ds^2 = -c^2 dt^2 (1 - (GMcH)^{1/2}/c^2)^2 + dr^2 (1 - (GMcH)^{1/2}/c^2)^{-2} + r^2 d\Omega^2$$

- APPLYING WITHIN THE SCHWARZSCHILD SOLUTION ALLOWS:

$$ds^2 = - \overbrace{\left(1 - \frac{2GM}{rc^2}\right)}^{\text{Schwarzschild Solution}} c^2 dt^2 \overbrace{\left(1 - \frac{(GMcH)^{1/2}}{c^2}\right)^2}^{\text{Sub-Field Counterpart}} + \overbrace{\left(1 - \frac{2GM}{rc^2}\right)^{-1}}^{\text{Schwarzschild Solution}} dr^2 \overbrace{\left(1 - \frac{(GMcH)^{1/2}}{c^2}\right)^{-2}}^{\text{Sub-Field Counterpart}} + r^2 d\Omega^2$$

**COSMIC ACCELERATION vs.**  
**COSMIC DECELERATION**

**Newtonian-Field:**

$$a_{NF} = -G[(4/3 \pi r^3) \rho_0] / r^2 = -4/3 \pi G \rho_0 r$$

**Sub-Field:**

$$a_{SF} = -((G[(4/3 \pi r^3) \rho_0] c H_0)^{1/2} / 2r) = -1/2 ([4/3 \pi G \rho_0] c H_0)^{1/2} r^{1/2}$$

**Cosmic-Field:**

$$a_{CF} = r H_0^2$$

**(DERIVED within the Lorentz Transformation)**

**(ACCORDS with  $\Lambda=3H_0^2/c^2$  of the Friedmann Solution)**

**INWARD**

**OUTWARD**

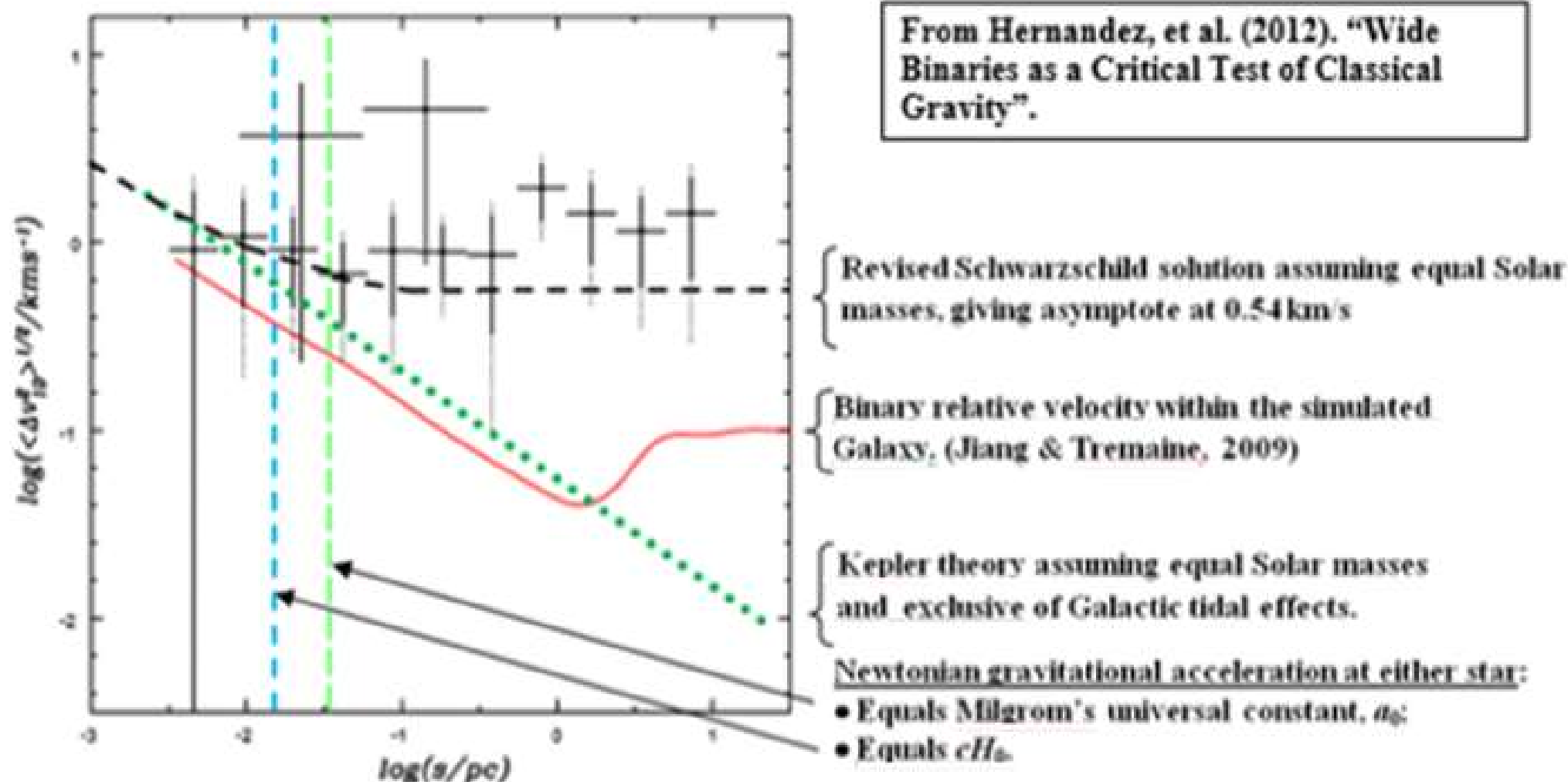
**COMBINED COSMIC ACCELERATIONS:**

$$a_{CA} = a_{NF} + a_{SF} + a_{CF}$$



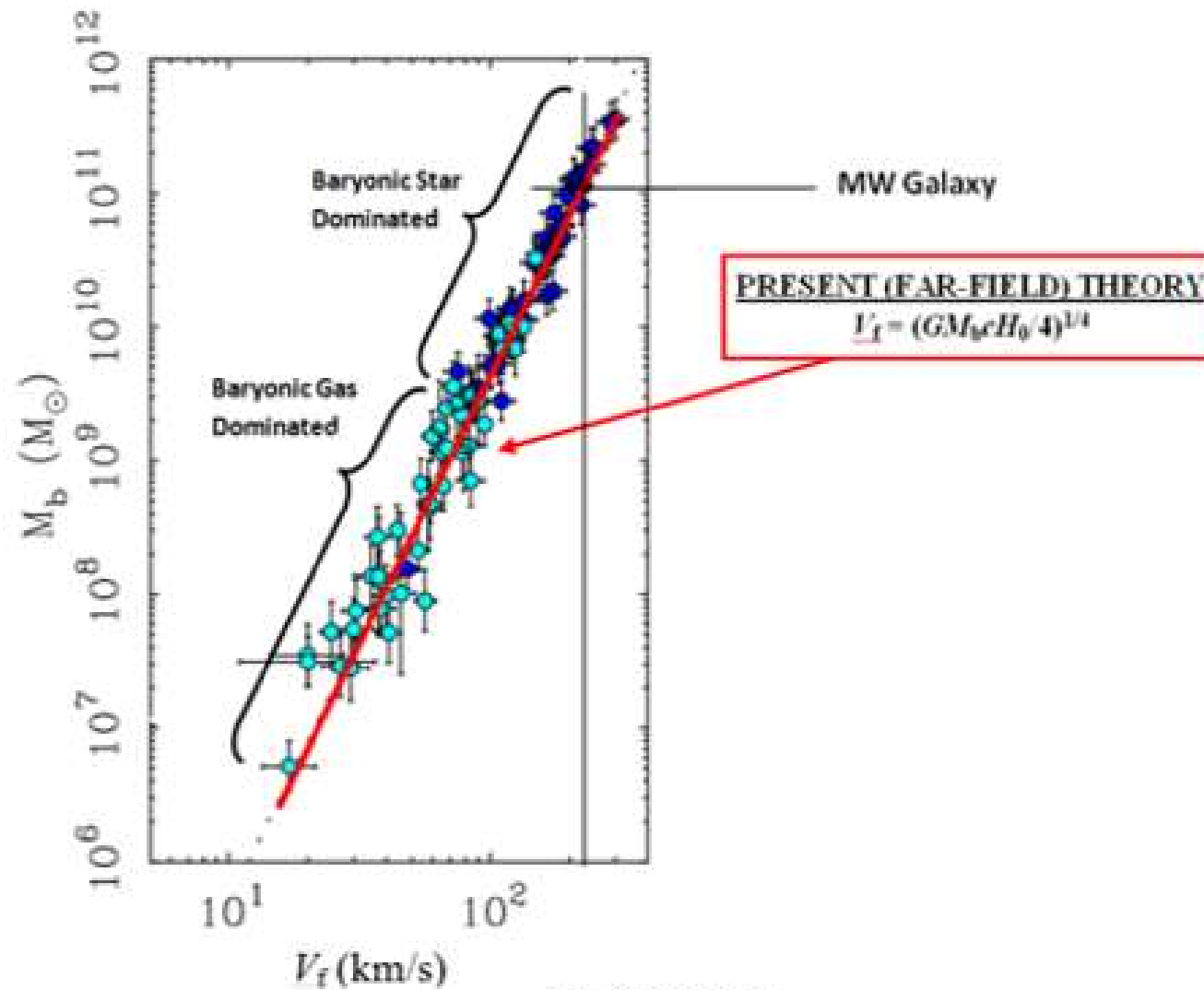
# **THEORY VERSUS MEASUREMENT**

# WIDE BINARY STAR GRAVITATIONAL CROSS-OVER

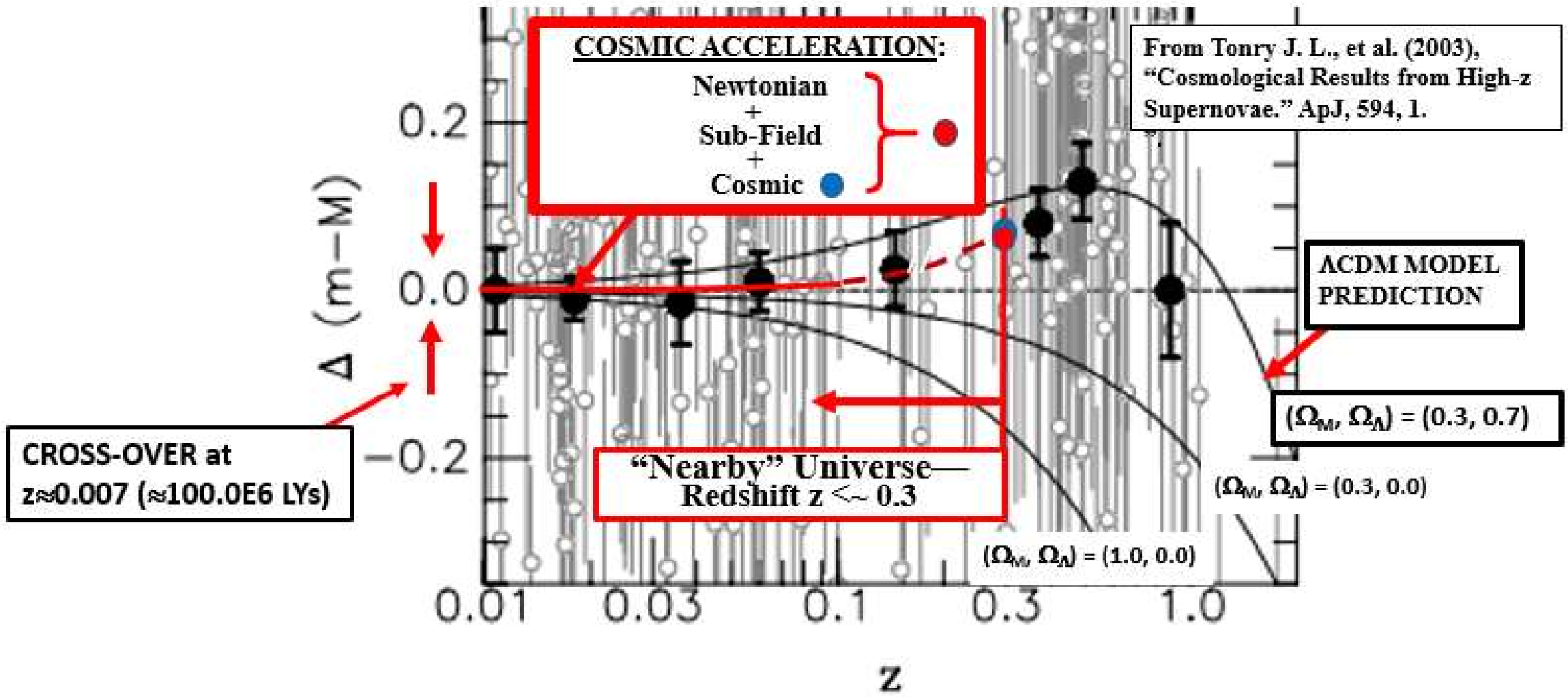


# SPIRAL GALAXY FAR-FIELD ROTATION

## BARYONIC TULLY-FISHER RELATION



**THEORETICAL SNI<sub>a</sub> RESIDUAL MAGNITUDES**  
**vs. REDSHIFT MEASUREMENTS**



# CONCLUSIONS

- **NEAR SINGULAR (INWARD) LIGHT VELOCITY WITHIN THE HUBBLE EXPANSION GIVES DEEPER THEORY--EG:**
  - **Pure Cosmic Acceleration** :  $a_{CF} = rH_0^2$
  - **Subfield Cosmic Deceleration** :  $a_{SF} = -1/2 ([4/3 \pi G \rho_0] c H_0)^{1/2} r^{1/2}$
  - **Cosmological Constant Derived** :  $\Lambda = 3H^2/c^2$
- **EMPIRICAL SUPPORT: ACCORD WITH---**
  - **Wide-Binary Star Rotation Flattening**
  - **Spiral Galaxy Rotation Flattening**
  - **“Nearby” SNIa Measurements ( $0.01 < z \llsim 0.3$ )**
- **COSMIC TIME-DILATION IS ESSENTIAL TO THE ACCELERATION OF HUBBLE SPACE EXPANSION**